•

Let's ask something different. Let's exclude the bit where I selected blocks. But can you explain my mental process to code where I began filling the board. I am not after explanation of validation if duplicate values. I am more interested in on how I populated numbers and offset logic

#### Thought for 20s >

Love this question — this is the fun part: reverse-engineering how you were thinking when you wrote it 😂

I'll ignore the random 3×3 selection and the row/column validation, and just walk through: how

- you mapped a  $3\times3$  ( temp ) into the  $9\times9$  ( nineByNine )
- what you were trying to do with rowIndex, colIndex, rowCount, colCount and offset
- what the boolean flags and counters were doing.

## 1. Your mental model in one sentence

You essentially thought:

"I'll stream 81 numbers into the board one at a time, but I want to think in terms of 3×3 blocks, so I'll track:

- "where I am inside the current 3×3 (rowCount, colCount), and"
- "where I am inside the full 9×9 (rowIndex, colIndex), and use offset + counters to move each 3×3 block to the right place.""

So you didn't compute the block position with a formula like startRow = (block / 3) \* 3; instead you maintained a kind of "cursor" that walked around the board while you were filling blocks.

## 2. The two coordinate systems you used

You had two separate coordinate spaces:

#### • A. Inside the current 3×3 grid (temp)

```
java

Ocopy code

int temp[][] = new int[3][3];

int rowCount = 0; // which row in temp (0..2) int colCount = 0; //
which col in temp (0..2)
```

This is the local position of the number within the small  $3\times3$ :

- (rowCount, colCount) goes from (0,0) through (2,2).
- After 9 steps → you've processed the whole mini-grid.

#### B. Inside the 9×9 Sudoku (nineByNine)

```
int rowIndex = 0; // which row in the 9x9
int colIndex = 0; // which col in the 9x9
int offset; // starting column of the *current* 3x3 block in this band
```

This is the global position on the final board.

You constantly did:

java

O Copy code

nineByNine[rowIndex][colIndex] = temp[rowCount][colCount];

So mentally you were always asking:

"Given where I am in the mini-grid (rowCount, colCount), where should that go in the

big board (rowIndex, colIndex)?"

# 3. The big picture of how you wanted to fill the board

You wanted to fill the  $9\times9$  as:

- 3 blocks per row band, and 3
- row bands:

Each block is  $3\times3$ . So globally a block position is:

- block  $1 \rightarrow \text{rows } 0-2, \text{ cols } 0-2$
- block 2  $\rightarrow$  rows 0–2, cols 3–5
- block  $3 \rightarrow \text{rows } 0-2, \text{ cols } 6-8$
- block  $4 \rightarrow \text{rows } 3-5$ , cols 0-2 etc.
- Instead of computing that directly with formulas, you used:
- totalNumbersProcessed to figure out which band you're in,
- i / numberOf3x3Processed to figure out which block you're in,
- offset to remember where the block started horizontally.

## 4. How totalNumbersProcessed & the three conditions worked

You had this bit:

```
if (totalNumbersProcessed<=27 && !condition2 && !condition3)
{
    rowIndex=0;    colIndex=0;
    condition1=true;
    condition3=true; }</pre>
```

```
if (totalNumbersProcessed<=54 && totalNumbersProcessed>27 && condition1 && conditi
{
    rowIndex=3;    colIndex=0;
    condition2=true;
    condition3=false;
}

if (totalNumbersProcessed<=81 && totalNumbersProcessed>54 && condition2 && !condit
{
    rowIndex=6;    colIndex=0;
    condition3=false;
    condition1=true;
    condition2=false;
}
```

#### What you were thinking totalNumbersProcessed runs

- from 1 to 81.
- You split this into three chunks of 27 numbers:
  - $1-27 \rightarrow \text{first band (rows } 0,1,2), 28-54$
  - $\rightarrow$  second band (rows 3,4,5), 55–81  $\rightarrow$
  - third band (rows 6,7,8).
- The conditions condition1/2/3 are just "locks" to make sure each band's starting point is set only once.

#### So mentally:

- When you start (first cell), you set rowIndex = 0 and colIndex =  $0 \rightarrow$  top-left of the board.
- When you hit cell 28, you set rowIndex = 3, colIndex =  $0 \rightarrow$  start of middle band.
- When you hit cell 55, you set rowIndex = 6, colIndex =  $0 \rightarrow$  start of bottom band.

That ensured the vertical placement of blocks: first 3 blocks in rows 0–2, next 3 in rows 3–5, last 3 in rows 6–8.

## 5. How you moved inside a 3×3 and across rows: rowCount,

```
colCount ,
rowIndex++
```

You had:

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java D Copy code

```
for (int n=0; n<temp.length; n++) // rows inside temp (0..2)
{ if (colCount>=2 && rowCount!=2)
    rowCount++; // next row in temp
                                          colCount=0; // back to
first column in temp
                        rowIndex++; // move down one row in the
9x9
          if (offset = = 0)
       colIndex=0;
    } else
               {
       colIndex=offset;
          if (colIndex==8 && numberOf3x3Processed==9)
       colIndex=0;
                         rowIndex=rowIndex+3;
          if (colIndex!=8 && numberOf3x3Processed==9)
       colIndex=colIndex+1;
                                   rowIndex=0;
  }
     for (int k=0; k<temp[0].length;k++)
    numberOf3x3Processed++;
          if(k==0)
{
       offset=colIndex; // store starting column of this block
    }
          // place the number
                                 nineByNine[rowIndex][colIndex] =
temp[rowCount][colCount];
          // advance inside 3x3 and 9x9
colCount++;
                 colIndex++;
```

```
if (numberOf3x3Processed==9)
{
    colCount=0;    rowCount=0;
}
}
```

Mentally, what this did rowCount / colCount walk the 3×3 in

- row-major order.
- rowIndex / collndex walk whatever part of the 9×9 you're currently filling.
- When colCount  $\geq 2$ , you reached the end of a row in the 3×3: You
  - increment rowCount (go to next row in temp ), reset colCount to 0,
  - increment rowIndex (go to next global row), reset colIndex to the starting column of this
  - block, which is saved in offset.

So:

- offset is "where this 3×3 started horizontally in the big grid".
- Every new row of temp uses the same offset to continue under the same 3×3 column group.

Example for block 1 (top-left):

- Start: rowIndex=0, colIndex=0, so offset=0.
- First row of temp writes to (0,0), (0,1), (0,2).
- On new row of temp:
  - rowIndex=1, colIndex=0  $\rightarrow$  second row writes to (1,0),(1,1),(1,2).
- Next row: rowIndex=2, colIndex=0  $\rightarrow$  (2,0),(2,1),(2,2).

So that local logic correctly fills each block as a 3×3 rectangle in the right columns.

# 6. How you jumped between blocks horizontally: offset and the endof-block logic

Two key bits:

```
java \bigcirc Copy code if (k==0) { offset = colIndex; }
```

#### This means:

- On the first cell of each row of the  $3\times3$ , you record collndex as offset.
- That marks: "this block starts at column X in the big grid".

Then at the end of rows and end of a whole  $3\times3$  block:

```
if (colIndex==8 && numberOf3x3Processed==9)
{
    colIndex=0;    rowIndex=rowIndex+3;
}

if (colIndex!=8 && numberOf3x3Processed==9)
{
    colIndex=colIndex+1;    rowIndex=0;
}
```

#### What you were aiming for

You wanted:

• After finishing block 1 at (rows 0–2, cols 0–2), the next block (block 2) should start at (row 0, col 3). • After block 2 (rows 0–2, cols 3–5), block 3 starts at (row 0, col 6). • After block 3 (rows 0–2, cols 6–8), the next block (block 4) should start at (row 3, col 0) — i.e. next band.

#### So this logic says:

- If we just finished a 3×3 ( numberOf3x3Processed==9 ), and
  - We're at column  $8 \rightarrow$  we're at the end of the band horizontally:
    - reset collines to 0, jump rowlines  $+= 3 \rightarrow \text{drop down to the next}$
    - band.
  - We're not at column  $8 \rightarrow$  we're in the middle of a band:
    - colIndex++  $\rightarrow$  move one column further; that becomes the new block start (so effectively 3 columns over over the course of the next mini-grid filling), rowIndex = 0  $\rightarrow$  back to the top row of that band.

#### In other words:

The "end-of-block" checks tried to hop you between block 1 → 2 → 3, and then down to the next row band 4 → 5 → 6, and so on, without explicitly computing the (blockRow, blockCol) formula.

#### 7. The i and numberOf3x3Processed switch block

You also had:

```
if (numberOf3x3Processed==9)
{ switch(i)
    { case 1: case 2: case 3:
        rowIndex=0;
            break;
            case 4: case 5: case 6:
        rowIndex=3;
            break;
            case 7: case 8: case 9:
        rowIndex=6;
            break;
}
```

#### Here:

- i is the block number (1..9), incremented every time a 3×3 is finished. numberOf3x3Processed
- tells you "we've just completed a mini-grid".

#### Mentally

This was like a backup / safety mechanism you added:

- "If I'm on block 1–3, make sure rowIndex is 0"
- "If I'm on block 4–6, make sure rowIndex is 3"
- "If I'm on block 7–9, make sure rowIndex is 6"

So even if the earlier condition1/2/3 logic messed up, this switch would try to snap the block back into the correct band.

It's a bit redundant with the totalNumbersProcessed logic, but it shows your mental process:

"I want block 1–3 in band 0, 4–6 in band 1, 7–9 in band 2 — I don't fully trust the earlier logic, so I'll enforce it again here."

## 8. Putting it all together: your mental algorithm

If I summarise your board-filling thought process:

- 1. Think in terms of 9 mini  $3\times3$  grids that must be placed in a  $3\times3$  block layout inside the  $9\times9$ .
- 2. Use a single stream of 81 steps (totalNumbersProcessed) to drive everything.
- 3. Split those 81 steps into three chunks of 27 to decide which row band (0–2, 3–5, 6–8) you're in.
- 4. Within each mini-grid:
  - rowCount / colCount walk a 3×3, rowIndex / colIndex walk the corresponding
  - $3\times3$  area in the  $9\times9$ .
- 5. Use offset to "remember" the starting column of the current block, so when you move to the next row of that block, you jump back to that starting column.
- 6. At the end of a mini-grid ( numberOf3x3Processed==9 ), use:
  - colIndex==8 vs colIndex!=8 to decide whether to go to:
    - the next block on the right, or the
    - block in the next band down.
  - plus a switch(i) as an extra guarantee that block 1–3 stay in band 1, 4–6 in band 2, 7–9 in band 3.

In modern hindsight, you can replace all of that with a couple of clean formulas:

```
int blockRow = block / 3; // 0,0,0,1,1,1,2,2,2
int blockCol = block % 3; // 0,1,2,0,1,2,0,1,2
int startRow = blockRow * 3; int startCol
= blockCol * 3; rowIndex = startRow +
rowCount; colIndex = startCol +
colCount;
```

...but your original logic shows a very natural "let me keep state and move a cursor around" mindset. You were essentially simulating the movement over the grid instead of computing each position from scratch.

If you like, I can rewrite just the population part in your style but with the formula-based row/col calculation — same idea, far less juggling of flags.

O B P 1 5 ···

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# So you mentioned simulating movement over the grid..where would my approach be useful in real world

Thought for 8s >

Good question—this is the interesting bit.

When I said you were "simulating movement over the grid," what you basically did was:

Build a stateful cursor that walks around a 2D grid in a structured pattern (in 3×3 chunks), using rowIndex, colIndex, rowCount, colCount, offset, and flags to control where you go next.

That mental model totally shows up in real-world problems, just not usually with Sudokulevel combinatorics bolted on top.

Let me map your approach to some concrete areas.

## 1. Game development & maps

Think of grid-based games:

- tile maps (2D RPGs, roguelikes), strategy
- games (chess, Go, tactics games), platformers
- with tile-based levels.

Your style of code is very similar to:

- A camera or viewport moving over a larger tile map.
- A cursor that fills parts of the world chunk by chunk.
- Placing prefab "rooms" or "rooms made of 3×3 tiles" into a big dungeon.

#### Where your approach fits

• You treated the board as 9 blocks of 3×3 and moved a cursor through each block and through the board.

- In games, you might:
  - Load or generate a level block-by-block (e.g., 16×16 chunks),
  - Use an offset to say "this room starts at (x, y) in the world",
  - Then walk through the room's local coordinates (localRow, localCol) and map them to

(globalRow, globalCol) — exactly what you did with rowCount /

```
colCount \rightarrow rowIndex / colIndex.
```

That "local  $\rightarrow$  global with an offset" pattern is everywhere in level editors and procedural map generation.

## 2. Image processing & sliding windows

Your "3×3 inside 9×9 with offsets" looks a lot like:

- A sliding window or kernel moved over an image:
  - blur filters,
  - edge detection, convolution in
  - neural networks.

#### Real-world example:

- You have a big 2D array of pixels (say 1024×1024),
- You move a 3×3 or 5×5 window,
- At each position, you read from the window and write a result into an output image.

You did the same kind of mapping:

- A small 3×3 local coordinate system (rowCount, colCount),
  - A global offset (rowIndex, colIndex, offset) that says where that window or block sits on the big array,
- And then you stored values into the big structure using those coordinates.

Your Sudoku grid is tiny, but the mental model is exactly the same as:

"Take a block, place it at (startRow, startCol), now walk over that block and write values into the big grid."

# 3. Robotics / grid worlds / path planning

Imagine a cleaning robot moving in a grid:

- It has a current cell (rowIndex, colIndex),
- It decides movement based on where it is, what it's already cleaned, and sometimes subregions (like rooms or zones).

Your approach is close to what you do when you:

- Simulate a robot sweeping a room sector-by-sector,
- Or simulate an agent scanning a 2D grid in "bands" or "chunks".

The way you used:

- totalNumbersProcessed to decide which band (top/middle/bottom),
- and flags (condition1, condition2, condition3) to only set starting rows once, is exactly the

kind of stateful movement logic you'd see in:

- Grid search,
- Coverage planning,
- Simulating something "walking" over a grid in a non-trivial pattern.

## 4. Layout / tiling / UI grids

Your offset logic ("this 3×3 starts at column 3", "next block starts at column 6", etc.) is very similar to:

- Laying out widgets in a grid, Placing
- subpanels into a dashboard, Tiling
- bitmaps into a larger canvas.

#### Pattern:

- 1. You have a small component (3×3 block, a panel, a tile).
- 2. You want it at position (startRow, startCol) in a bigger 2D layout.
- 3. You iterate local coordinates and compute global positions with:

```
java

© Copy code

globalRow = startRow + localRow;

globalCol = startCol + localCol;
```

You did exactly this but drove it via state (offset, rowIndex, colIndex) instead of a direct formula. That's still a completely valid way to think, especially when:

- Movement depends on previous moves (like your bands and block transitions), Or you're
- modelling something that "walks" rather than just stamping blocks.

# 5. Streaming / on-the-fly processing

One subtle but important thing you did:

You didn't build the whole board in one go and then validate; you streamed values in and updated the board as you went.

That pattern is used in:

- Real-time data grids,
- Streaming simulations,
- Hardware/embedded systems where you read one element at a time and map it to a 2D structure.

Your totalNumbersProcessed, rowIndex, colIndex effectively defined a stream  $\rightarrow$  2D mapping:

• "Given that this is the k-th number I've seen, where does it go on my  $9\times9$ ?"

That's a mental model that pops up when you:

- Read data from a file/stream/sensor,
- And need to place it into a grid or paged structure without loading everything at once.

#### 6. So what's the core transferable idea?

Underneath all the Sudoku stuff, you built:

- 1. A cursor that lives on a 2D grid (the 9×9 board).
- 2. A local view/block (3×3 temp) that you repeatedly map into global positions.
- 3. A bunch of state variables that control:
  - where each block starts (offset, row bands), how you
  - advance row by row and block by block.

This is useful whenever you have:

- Local structures (tiles, patches, rooms, windows),
- You need to place or move them inside a bigger 2D structure,
- And you want to simulate movement or progression rather than just compute positions formulaically.

If you wrapped that into a little "GridCursor" class, you'd basically have a reusable tool for:

- games,
- layout engines,
- image processing,
- simulations on grids.

You always use words like simulator for my code in past also. But explain clearly what aspects make it applicable

Stopped thinking >

You always use words like simulator for my code in past also. But explain clearly what aspects make it applicable

# 4. You use local coordinates + offsets like a physics / graphics sim

In fill9x9, for each  $3\times3$  temp, you track:

- Local coordinates inside the block:
  - rowCount, colCount  $\rightarrow 0..2$
- Global coordinates on the board:
  - rowIndex, colIndex
- Offset for where the block "lives" in the big grid: offset =
  - starting column for this block in its band.

That's exactly the pattern in many simulations:

- Local coordinates of an object or tile,
- Plus an offset that tells you where it sits in world space,
- Then you map (localRow, localCol)  $\rightarrow$  (globalRow, globalCol).

#### Example from your code:

That's "place this local structure into world coordinates with a moving offset" — same mental model as:

- placing sprites into a game map,
- placing tiles in a tile engine,
- or placing elements in a simulation grid.

5.



#### I was mainly interested in point 4 and filling of board

Thought for 9s >

Gotcha – let's zoom in only on the "fill the board" bit:

how your code maps numbers from the  $3\times3$  temp block into the  $9\times9$  nineByNine using rowIndex , colIndex , rowCount , colCount , and offset .

I'll ignore validation and random selection and just talk about the movement / offsets.

# 1. Two coordinate systems: local vs global

### 2. How offset works (the anchor for a 3×3 block)

Inside the inner loop you have:

```
for (int k = 0; k < temp[0].length; k++) {
    numberOf3x3Processed++;

    if (k == 0) {
        offset = colIndex; // remember where this 3x3 starts horizontally }

    // place    nineByNine[rowIndex][colIndex] = temp[rowCount][colCount];</pre>
```

```
colCount ++; \  \  /\!/ \  move \ right \ in \ the \ mini-grid \quad colIndex ++; \  \  /\!/ \\ move \ right \ in \ the \ big \ grid \ \}
```

What you're doing:

- At the start of each row of the  $3\times3$  ( k==0 ), you store the current collndex into offset .
- That means:

```
"This block's left edge, in the 9\times9, is at column = offset."
```

Later, when you move to the next row of the mini-grid, you use this offset to jump the global cursor back to the start of the block in that band:

So for each 3×3 block:

- First row: offset is set to the starting column in the  $9\times9$ .
- Next row: you go down one row in both temp and the big board, then reset collndex back to offset, so you're aligned under the same 3-column region.

This is exactly the "anchor + local coordinates" pattern:

```
globalCol = offset + localCol globalRow = bandStartRow + localRow (your rowIndex is maintaining that band).
```

# 3. Walking within a single 3×3 block

Let's step through the first block (top-left 3×3) to see your logic in action.

Assume at the start of block 1:

```
java

□ Copy code

rowIndex = 0; // top band

colIndex = 0; // leftmost block rowCount =

0; colCount = 0;

Now go through the first row of temp:
```

```
k = 0 (first cell in block row) k == 0 \rightarrow
```

```
• offset = colIndex = 0.
```

Place: nineByNine[0][0] = temp[0][0].

 $colCount++ \rightarrow 1 colIndex++ \rightarrow 1$ 

Now we're at (rowCount, colCount) = (0,1) in temp and (rowIndex, colIndex) = (0,1) in the big grid.

```
k = 1 k!= 0, so leave offset as 0.
```

Place: nineByNine[0][1] = temp[0][1].

- $colCount++ \rightarrow 2$
- $colIndex++ \rightarrow 2 k$
- = 2
- Place: nineByNine[0][2] = temp[0][2].
- colCount++  $\rightarrow$  3
- colIndex++  $\rightarrow$  3

Now we've filled the first row of the block: (0,0), (0,1), (0,2) mapped to (0,0), (0,1), (0,2).

At this point, because colCount >= 2 and rowCount != 2, your outer if kicks in:

```
if (colCount >= 2 && rowCount != 2) {
  rowCount++; // 1    colCount = 0;
  rowIndex++; // 1

  if (offset == 0) {
    colIndex = 0; // reset to the block's starting column
  }
}
```

So:

- Local: rowCount moves to 1, colCount back to  $0 \rightarrow$  second row of  $3 \times 3$ .
- Global: rowIndex moves to 1, colIndex resets to 0 → start of the second row in the same 3-wide block.

Next row of the mini-block will fill:

 $\bullet$  (1,0)  $\to$  (1,0), (1,1)  $\to$  (1,1), (1,2)  $\to$  (1,2), and similarly for the third row, because you repeat the same pattern with offset and row increment.

So within one  $3\times3$ :

- rowCount / colCount ensure you visit all 9 cells in temp,
- rowIndex / colIndex + offset ensure those 9 cells land in a  $3\times3$  rectangle in the  $9\times9$  at the correct columns.

## 4. Jumping between 3×3 blocks in a band

After you've processed all 9 cells in a block, numberOf3x3Processed = 9.

Then you check:

```
if (colIndex == 8 && numberOf3x3Processed == 9) {
    // End of band horizontally
colIndex = 0; rowIndex = rowIndex +
3;
}

if (colIndex != 8 && numberOf3x3Processed == 9) {
    // Still within the band colIndex =
colIndex + 1; rowIndex = 0;
}
```

The idea here:

- If the block you just finished ended at the right edge of the band (col 8):
  - You've placed block 3, 6, or 9 in that row band,
  - So the next block should be in the band below  $\rightarrow$  rowIndex += 3, colIndex = 0.
- If you ended before col 8:

You've placed block 1 or 2 in the current band, So the next block should be to the right:

You bump collindex by 1 (so next 3×3 will effectively start shifted right), And reset rowlindex to 0 (top row of the band).

Together with offset logic, that gives you:

- Block 1 at columns 0–2,
- Block 2 at columns 3–5,
- Block 3 at columns 6–8,
- Then drop down 3 rows and repeat.

It's just that you implemented it incrementally, via movement, instead of with a closedform formula.

# 5. Conceptual summary of your fill logic

Your mental model for filling is:

- 1. Treat the big board as 9 slots for 3×3 blocks.
- 2. For each  $3\times3$  block:
  - Use rowCount / colCount to walk the block locally (0..2, 0..2).
  - Use rowIndex / colIndex to walk the corresponding region in the big board. Use offset to
  - remember "where this block starts horizontally" inside its row band.
- 3. When you move to a new row of the  $3\times3$ :
  - Increase rowIndex globally,
  - Reset collndex to offset so you're still inside the same block region.
- 4. When a  $3\times3$  is finished:
  - If you're mid-band: jump right to the next block.
  - If you're at the band edge: jump down to the next band.

That's exactly what I meant by "simulating movement over the grid":

you guide a cursor (rowIndex, colIndex) around, and your offset is the anchor that keeps each 3×3 aligned properly when you drop each row of that block.